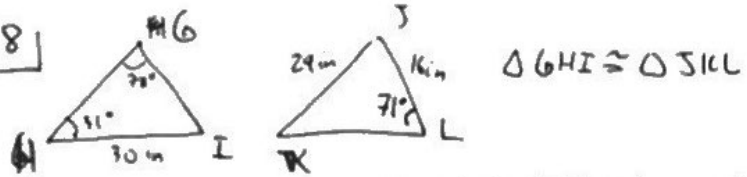


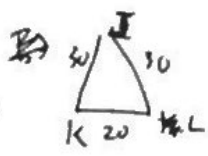
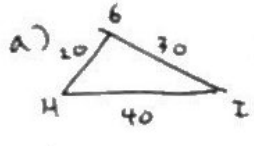
MA 202 HW 12 Solutions | 13.1: # 8, 12, 14, 20, 21, 28

13.1.8

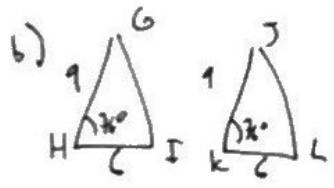


- a) $\overline{GH} \cong \overline{JK} = 29 \text{ in}$ b) $\overline{GI} \cong \overline{JL} = 16 \text{ in}$ c) $\overline{KL} \cong \overline{HI} = 30 \text{ in}$
 d) $\angle J \cong \angle G = 31^\circ$ e) $\angle K \cong \angle H = 31^\circ$ f) $\angle I \cong \angle L = 71^\circ$

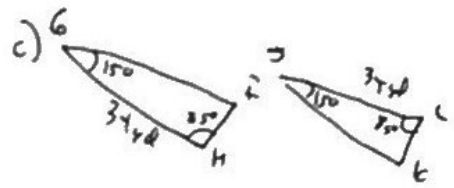
13.1.12



These triangles are not congruent: $\triangle GHI$ has a side of length 40 mm while $\triangle JKL$ does not.

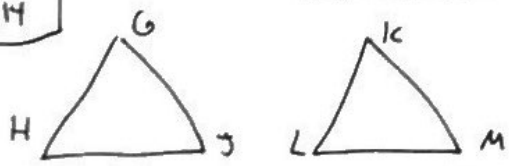


$\triangle GHI \cong \triangle JKL$ by SAS congruency since $\overline{GH} \cong \overline{JK}$, $\overline{HI} \cong \overline{KL}$, $\angle H \cong \angle J$.



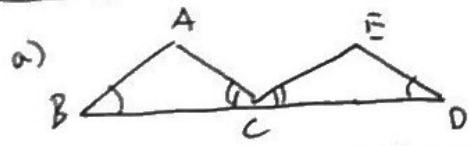
$\triangle GHI \cong \triangle JKL$ by ASA congruency since $\angle G \cong \angle J$, $\angle H \cong \angle L$, $\overline{GH} \cong \overline{JK}$ (interlocking).

13.1.14

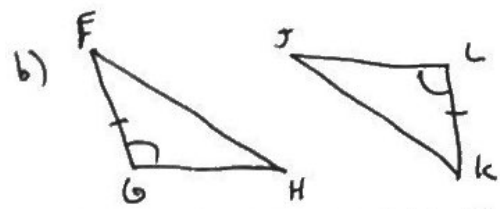


- a) One possible set is: $\angle G \cong \angle K$, $\angle H \cong \angle L$, $\overline{GH} \cong \overline{KL}$
 b) One possible set is $\angle G \cong \angle K$, $\overline{GH} \cong \overline{LK}$, $\overline{GI} \cong \overline{KM}$

13.1.20



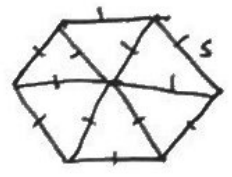
One possibility is: $\overline{BC} \cong \overline{CD}$. Then we have $\triangle ABC \cong \triangle EDC$ by ASA congruence.



One possibility is: $\overline{GH} \cong \overline{JL}$. Then we have $\triangle FGH \cong \triangle IJK$ by SAS congruence.

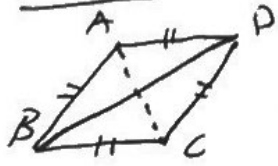
13.1.21

One possibility is:



The triangles are congruent by SSS congruency since each has all of its sides length s .

13.1.28



Using the solid blue diagonal, \perp
 We have $\overline{AB} = \overline{BC}$, $\overline{AD} = \overline{DC}$, $\overline{BD} = \overline{BD}$,
 so $\triangle ABD \cong \triangle CBD$ by SSS congruence.
 Therefore $\angle A \cong \angle C$. \perp

Similarly, using the dashed green diagonal,
 we have $\overline{AB} = \overline{AD}$, $\overline{BC} = \overline{CD}$, $\overline{AC} = \overline{AC}$, so \perp
 $\triangle ABC \cong \triangle ADC$ by SSS congruence. Therefore $\angle B \cong \angle D$. \perp